

# Translating Words into Equations with One Unknown

This section will focus on how to translate a situation into an equation with one unknown.

Before you continue working through this lesson, be sure that you have mastered the skills from the section, **Translating Words into Algebraic Expressions**.

The equations in this section will only have one unknown variable **x**.

Also, since this is the first lesson on how to write equations, you will always be told what the unknown **x** represents.

For example, in the following sentence:

“Four taken away from the number **x** is ten,”

The unknown is the **number x**.

We remember that an equation has a left side and right side. The symbol that defines the two sides is the equals symbol **=**.

In the above example, the word “**is**” tells us where the equals sign should be placed in the equation.

Four taken away from the number **x** is **ten**

$$x - 4$$

Now, focus on the right side.

$$10$$

Finally, we can write the equation.

$$x - 4 = 10$$

You can also represent real life situations with equations.

For example, translate the following situation into an equation.

“Let **x** represent Dan’s present age. In eight years, Dan will be thirty years old.”

First, we identify Dan’s present age.

Dan’s present age : **x**

Next, we identify Dan’s age in eight years.

Dan’s age in eight years : **x + 8**

**x + 8** is the left side of the equation

**30** is the right side of the equation

The equation that represents the situation is **x + 8 = 30**.

Let’s look at one more example that is a little more complicated because of the wording.

Translate the following situation into an equation.

“Let **x** represent Kim’s present age. By taking five years off twice Kim’s age we get fifteen years.”

First, we identify Kim’s present age.

Kim’s present age : **x**

## Lesson Notes

Next, we identify

"Taking five years off twice Kim's age."

$$2x - 5$$

$2x - 5$  is the left side of the equation

$15$  is the right side of the equation

The equation that represents the situation is  $2x - 5 = 15$ .

We are ready to do more challenging examples.

## Example

1. Translate the following statement into an equation.

"The number  $x$  increased by 4 is 12."

**Step 1:** Focus on the left side of equation.

$$x + 4$$

**Step 2:** Focus on the right side of equation.

$$12$$

**Step 3:** Write the equation.

$$x + 4 = 12$$

2. Translate the following sentences into an equation.

"Let  $x$  represent Karen's present age. Six years ago, **Karen was eleven years old.**"

**Step 1:** Focus on the left side of equation.

$$x - 6$$

**Step 2:** Focus on the right side of equation.

$$11$$

**Step 3:** Write the equation.

$$x - 6 = 11$$

## Lesson Notes

3. Translate the following situation into an equation.

"Nancy has \$8 more than Jennifer. Together, they have \$34. Let  $x$  represent Jennifer's money."

**Step 1:** Identify the algebraic expression that represents the money that each girl has.

Jennifer  $x$   
Nancy **Nancy has \$8 more than Jennifer**

$$x + 8$$

**Step 2:** Write the equation using the following information.

**Together, they have \$34.**

Jennifer's money + Nancy's money = \$34

$$(x) + (x + 8) = 34$$

$$x + x + 8 = 34$$

$$2x + 8 = 34$$

4. Translate the following situation into an equation.

"John is two years older than his sister Sheila. Five years ago, the sum of their ages was 32 years. Let  $x$  represent Sheila's present age."

**Step 1:** Identify the algebraic expression that represents each person's present age.

Sheila  $x$   
John **John is two years older than his sister Sheila**

$$x + 2$$

**Step 2:** Identify the algebraic expression that represents their ages five years ago.

Sheila  $x - 5$

John  $x + 2 - 5$

$$x - 3$$

**Step 3:** Write the equation using the following information.

**Five years ago, the sum of their ages was 32 years.**

$$(x - 5) + (x - 3) = 32$$

$$x - 5 + x - 3 = 32$$

$$x + x - 5 - 3 = 32$$

$$2x - 8 = 32$$

5. Translate the following situation into an equation if we let  $x$  represent the width of the rectangle.

"The perimeter of a rectangle is equal to 100 units. The length of the rectangle measures 10 units more than twice the width."

**Step 1:** Identify the algebraic expressions that represent the length and width of the rectangle.

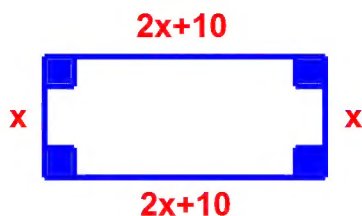
width  $x$

length **The length of the rectangle measures 10 units more than twice the width**

$$2x + 10$$



**Step 2:** Draw the rectangle and label the sides.



**Step 3:** Add the sides to get the perimeter of the rectangle.

$$P = (x) + (2x + 10) + (x) + (2x + 10)$$

$$P = x + 2x + 10 + x + 2x + 10$$

$$P = x + 2x + x + 2x + 10 + 10$$

$$P = 6x + 20$$

**Step 4:** Rewrite the equation with the perimeter (P) equal to 100 units.

$$6x + 20 = 100$$